

**CBN COLLABORATIVE POSTGRADUATE PROGRAMME
DEPARTMENT OF ECONOMICS, UNIVERSITY OF NIGERIA NSUKKA
WORK PLAN**

NAME OF LECTURER:

COURSE: ECO 505 QUANTITATIVE METHODS

STUDY WEEK	TOPIC SUB-TOPIC	RESULTS LEARNING	TIME Hrs	METHODS	Suggested Videos
1-4	<p>MATRIX ALGEBRA</p> <p>1.1 Matrix algebra and system of linear equations</p> <p>1.2 System of linear equations with economic applications, including input-output model</p> <p>1.3 Eigenvalues and eigenvectors</p> <p>1.4 Quadratic forms</p>	<p>Students will be able to:</p> <ul style="list-style-type: none"> ▪ Present simultaneous equations in matrix form ▪ Solve for the unknowns in a system of equations using variety of methods ▪ Distinguish between singular and non-singular matrix, and determine the inverse of a square matrix ▪ Apply matrix knowledge to solving economic issue like national income ▪ Use matrix knowledge to determine the optimum output in an economy from different sector, using input-output model ▪ Explain the meaning of Eigenvalues and eigenvectors ▪ Calculate the Eigenvalues and eigenvectors of a matrix ▪ Interpret the Eigenvalues and eigenvectors figures ▪ Solve for binary form of equations ▪ Use the discriminant as an invariant ▪ Classify positive form of equations: reduced form, ▪ Represent integers by quadratic forms. ▪ Determine the Composition of forms ▪ Perform Reduction of positive quadratic forms 	12	Face-to-face interaction and presentations	

<p>5-8</p>	<p>ECONOMIC APPLICATION OF CALCULUS AND STATIC OPTIMIZATION</p> <p>2.1 Univariate differential calculus</p> <p>2.2 Applications of univariate optimization</p> <p>2.3 Applications of multivariate differential calculus</p> <p>2.4 Applications of extreme values of multivariate functions</p> <p>2.5 Applications of unconstrained optimization</p> <p>2.6 Applications of integral calculus</p>	<p>Students will be able to:</p> <ul style="list-style-type: none"> ▪ Apply Rules of differentiation ▪ Compute the derivative and extrema points of a non-linear function ▪ Explain Mean Value Theorem and Its Applications to single variable equation or function ▪ Explain the Fundamental Theorem of Calculus and Its Applications to more than one variable functions. ▪ Identify absolute and local extreme points from a set of critical points and endpoints ▪ Finding the Extreme Values Using Calculus Techniques ▪ Distinguish critical points that are not extrema. ▪ Determine the optimization points of an economic function ▪ Distinguish between minimization and maximization problems and where it occurs. ▪ Derive decision on optimal output, input, profit, etc. ▪ Solve real world system nonlinear optimization models with constraints for which analytical solutions are not available. ▪ Be sufficiently familiar with a range of numerical methods for solving nonlinear optimization problems ▪ Apply properly the resulting algorithms to solving practical optimization problems ▪ Understand the theoretical background behind each of the methods. ▪ Understand optimality conditions for both unconstrained and constrained optimization problems and use them to identify optimal solutions of simple academic examples 	<p>12</p>	<p>Face-to-face interaction and presentations</p>	
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<p>9-11</p>	<p>DYNAMIC ANALYSIS AND OPTIMIZATION 3.1 Dynamic Analysis 3.1.1 Applications of difference equations 3.1.2 Applications differential equations 3.2 Applications of dynamic optimization 3.2.3 <i>Calculus of variations</i> 3.2.1 <i>Dynamic optimization in discrete time</i> 3.2.2 <i>Optimal control theory</i></p>	<p>Students will be able to:</p> <ul style="list-style-type: none"> ▪ Solve dynamic problem with time dimension. ▪ Solve dynamic equations that are of continuous and discrete forms ▪ Generate first linear equation ▪ Solve for particular, general, and complementary solution. ▪ Apply knowledge to discrete time process with time domain problems ▪ Generate standard first-order difference equation ▪ Apply to wealth accumulation, consumption, savings, income, etc. in discrete time ▪ Determine the order of a difference equation and distinguish between linear and non-linear, as well homogeneous or non-homogeneous. ▪ Solve simple first and second order differential and difference equations; ▪ Use Maple to study elementary differential and difference equations; ▪ Understanding of simple applications of differential and difference equations in population dynamics. ▪ Apply to practical economics field, such as: simple interest, loan repayment, population issue, ▪ Apply difference equation knowledge to real life economic examples. ▪ Familiarize the student with the theoretical and numerical issues associated with nonlinear programming and optimal control problems. ▪ Grasp basic analytical tools for future research. ▪ Provides insight into numerical techniques for effectively solving practical problems. ▪ Understand the problems, methods and techniques of calculus of variations <p>Study modern optimal control theory</p> <ul style="list-style-type: none"> ▪ Treat extensively single integral problems in one and more unknown functions 	<p>9</p>	<p>Face-to-face interaction and presentations</p>	
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12-13	INTRODUCTION TO SET THEORY AND REAL ANALYSIS 4.1 Set Theory 4.2 Real Analysis	Students will be able to: <ul style="list-style-type: none"> ▪ Explain the principle of inclusion and exclusion ▪ Apply the principle to solving set problem ▪ Represent set solution in venn diagram Students will be able to: <ul style="list-style-type: none"> ▪ Demonstrate understanding of the real numbers, their axioms and the role of completeness in the existence of limits and solutions to equations ▪ Interpret and apply quantifiers in mathematical statements, and quote and apply basic theorems in analysis. ▪ Calculate limits of sequences and (power) series, and prove/disprove convergence using the definitions ▪ Manipulate simple inequalities; ▪ Define convergence of sequences and series; ▪ Introduce continuity and differentiation and prove some fundamental properties of continuous and differentiable functions; ▪ Apply definitions & theorems presented throughout the course to solve unseen problems; ▪ State and prove some fundamental theorems; ▪ Understand concepts of convergence for sequences and series. ▪ Understand definitions of boundedness, continuity, uniform continuity, differentiability and determine by proof whether certain functions possess said properties. 	6	Face-to-face interaction and presentations	
14	REVISION WEEK				
15	FINAL EXAMINATION				

Lecturer:

PROGRAMME LEADER